We will primarily follow the book [1]. This is close in spirit to the paper [3]. This requires a bit of hyperbolic geometry. A very good introduction to hyperbolic geometry is Thurston's notes [5], though it is a bit informal. The first four chapters of these notes were expanded into a book [7]. A good dictionary of hyperbolic geometry (formulae etc.) is [4].

A great survey of the topic from a different (Thurston's original) perspective is his research announcement [6]. This was expanded into a book [2] in French. I know where there is a translation if you would like to see it.

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